

# Compilation of AU- matching in Tom

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# Possible subtitles

- ① How to make rewriting usable in practice
- ① How to make our technology available
- ① How to share and reuse our software

# Motivations

- After 20 years of research in rewriting
- We are convinced that:
  - specifying by rewriting is a nice idea
- But, we also want to:
  - make rewriting usable in practice
  - integrate rewriting into existing programming environments

# Goal and approaches

- Introduce pattern matching facilities into languages like C or Java
  - Encapsulate a rewrite engine into a library
  - Provide a compiler for rewriting
- Questions to answer
  - Implement a matching algorithm again?
  - In which language? C? Java? Caml?
  - For which term data-structure? A fixed one?

# Main ideas

- Make matching algorithms
  - Simple
  - Independent on the data-structure
  - Independent on the host language
- How?
  - By designing **generic** algorithms
  - By introducing a **mapping** from concrete to algebraic data types
  - By generating **kernel** intermediate constructs

# Tom

- A pattern matching processor for C and Java which offers:
  - a signature definition formalism (`%type` and `%op`)
  - new term-based constructs (`%rule`, `%match`, and ```)
- A concept presented at LDTA'2001 and CC'2003
- A stable implementation: The Tom compiler is written in Tom itself
- A system available at: [tom.loria.fr](http://tom.loria.fr)

# The language

```
%type Term {  
  implement { ATerm }  
  get_fun_sym(t) { t.getAFun() }  
  cmp_fun_sym(t1,t2) { t1 == t2 }  
  get_subterm(t, n) { t.getArgument(n) }  
  equals(t1, t2) { t1 == t2 }  
}
```

```
%op Term suc(Term) {  
  fsym(t) { makeAFun("suc",1) }  
}
```

```
Term plus(Term t1, Term t2) {  
  %match(t1,t2) {  
    x, zero -> { return `zero; }  
    x, suc(y) -> { return `suc(plus(x,y)); }  
  }  
}
```

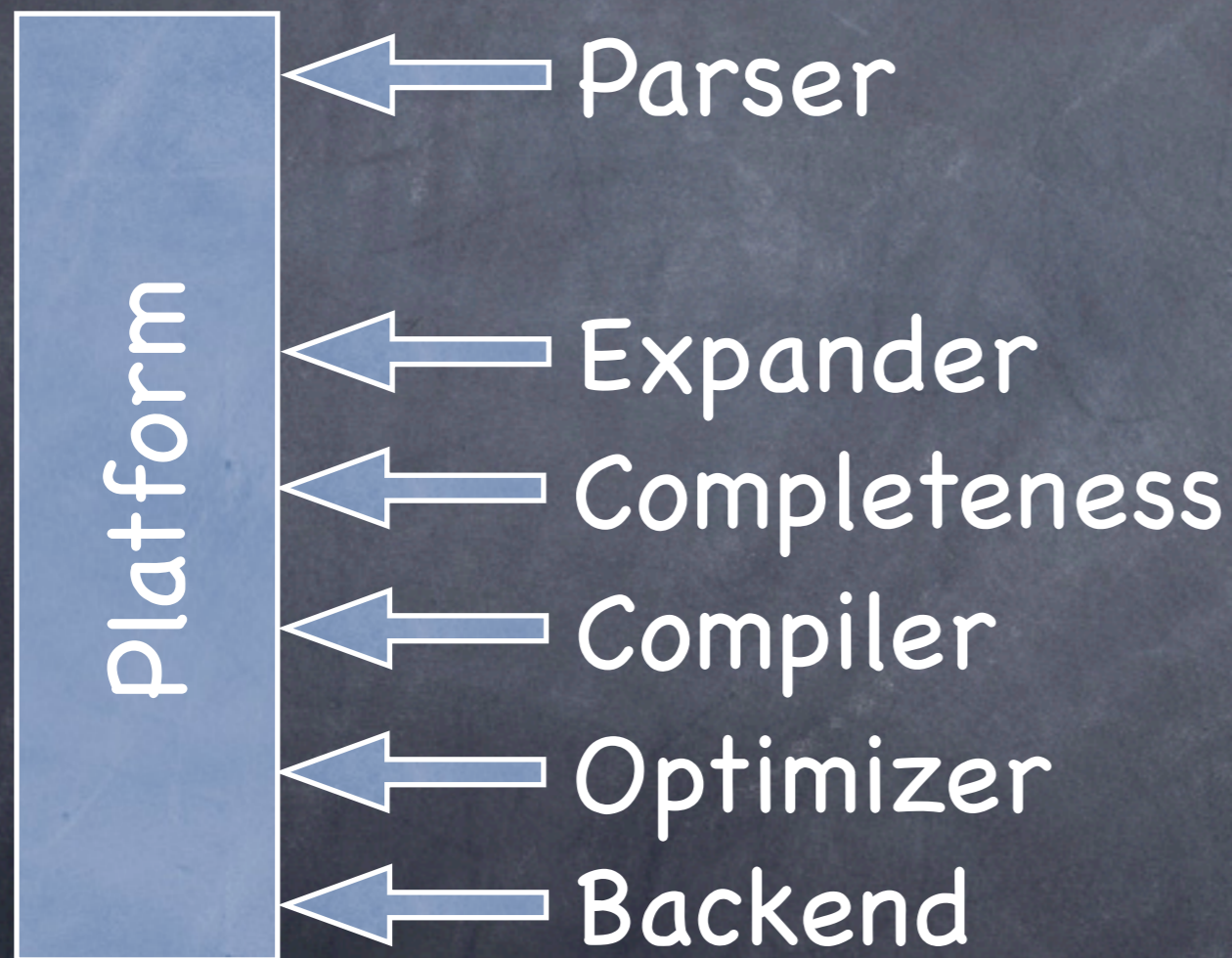
```
List sort(List t) {  
  %match(t) {  
    conc(X*,a,Y*,b,Z*) -> {  
      if greaterThan(a,b)  
        return `sort(conc(X*,b,Y*,a,Z*)); }  
    _ -> { return t; }  
  }  
}
```

# Technical considerations

- How to build an implementation for this language:
  - “easy” to maintain and extend (no global state)
  - support for research (without modifying a line)
  - allows collaborative development (use AST)



# Plugin based architecture

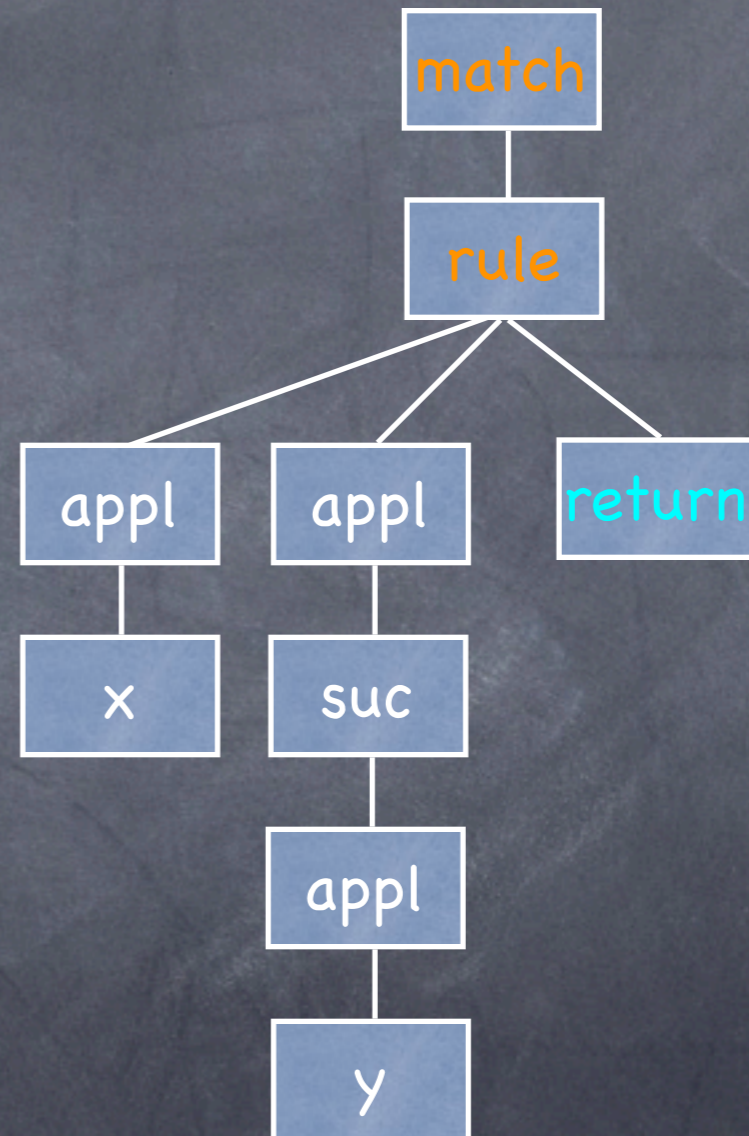


- Each phase is a plugin
- AST data structure
- Plugins can be added
- Without modifying the source of the compiler

# Parser

- Read input file
- Parse Tom constructs
- Build AST

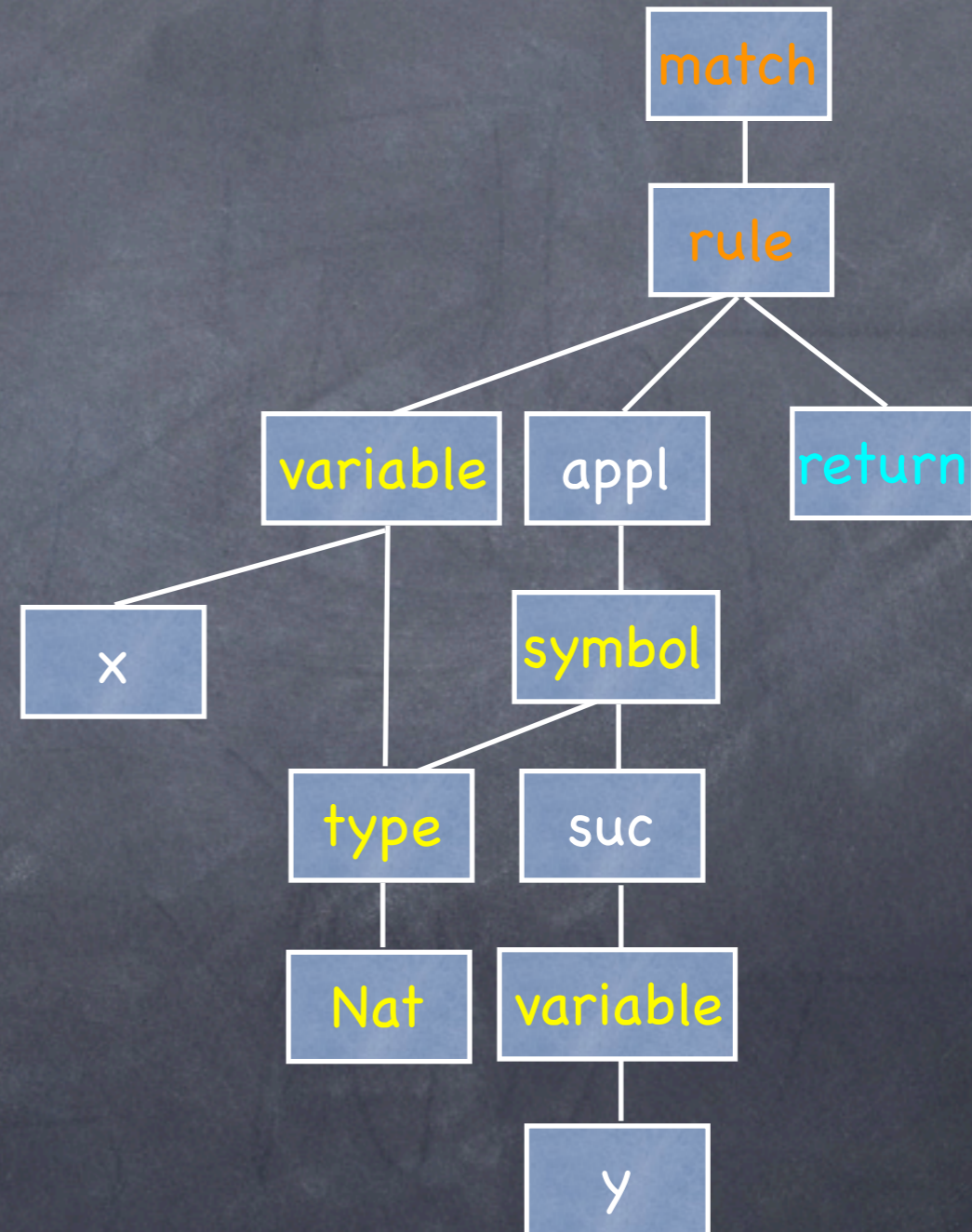
```
print(s1)
%match(s1,s2) {
  x,zero -> return x
  x,suc(y) -> ...
}
```



# Expander

- Perform type inference
- Introduce variables

```
print(s1)
%match(s1,s2) {
  x,zero -> return x
  x,suc(y) -> ...
}
```



# Compiler

- Takes an AST and generates target language
- Constraints:
  - keep the software simple
  - handle multiple target languages
- Solution:
  - split the compiler in two parts
  - introduce an intermediate abstract language (C  $\cap$  Java  $\cap$  Caml)

# Pre-compiler

- Perform program transformation
  - rules are expanded into match+build
  - non-linear patterns are linearized
  - nested A-patterns are flattened (abstraction variables are introduced)
  - high level optimizations are performed

# Kernel-compiler

- Transform a simplified matching construct (flattened linearized patterns) into a discrimination tree (nested if-then-else and loop)
  - we use an abstract language to describe the matching automata
  - the subject-term is “seen” via destructors
    - the abstract language can be compiled by various back-ends (C, Java, Caml)

# Intermediate language

- Instruction ::=
- Let(Term, Expression, Instruction)
- IfThenElse(Expression, Instruction, Instruction)
- WhileDo(Expression, Instruction)
- Block(InstructionList)
- Nop

- Expression ::=
- Not(Expression)
- IsEmpty(Term)
- EqualFunctionSymbol(Term, Term)
- GetSubterm(Term, Number)
- GetHead(Term)
- GetTail(Term)
- Term ::=
- Variable(Name, Type)
- ...



# Compilation of matching

$f(a, g(x)) \rightarrow \dots$

• `genFreeMatching(termList, path, action) =`  
match termList with:

• `nil`  $\rightarrow$  action

+ `IfThenElse`

• `cons(var@Variable[...], tail)`  $\rightarrow$  `Let`(var, source,  
subAction)

– where source = `Variable[PositionName(path)]`

– subAction = `genFreeMatching(tail, path',`  
action)

• `cons( Appl [...], tail)`  $\rightarrow$  ...

• `genFreeMatching(termList, path, action) =`  
match termList with:

- `cons(appl@Appl [args=sub terms], tail) →`  
`IfThenElse(cond, automata, Nop)`
  - `cond = EqualFunctionSymbol(source, appl)`
  - `source = Variable[PositionName(path)]`
  - `automata = genFreeMatching(sub terms, path,`  
`subAction)`
  - `subAction = genFreeMatching(tail, path',`  
`action)`
- `cons(Appl [args=sub terms, theory=list], tail)`  
`→ genListMatching(termList, path, action)`

# Associative operator

- we consider  $f$ , where  $f(x, f(y, z)) = f(f(x, y), z)$
- $f$  is AU when  $f(x, e) = f(e, x) = x$
- solving  $p \ll s$ , consists in finding a set of substitutions  $\Sigma$  such that  $\forall \sigma \in \Sigma, p\sigma = s$
- we usually consider flattened forms:  $f(x, y, z)$
- $f(x, y) \ll f(a, b, c)$  gives  $\Sigma = \{ x=a, y=f(b, c) \} \cup \{ x=f(a, b), y=c \}$
- How to restrict  $x$  to an instance of "size=1"?

# Controlling matching

- We usually introduce (many/ordo) sorted signature and injection operators
  - $f: L \times L \rightarrow L$  (associative operator)
  - $g: E \rightarrow L$  (injection operator)
- $f(a,b,c)$  becomes  $f(g(a),g(b),g(c))$
- $f(g(x),y) \ll f(g(a),g(b),g(c))$  gives  $\Sigma = \{ x=a, y=f(g(b),g(c)) \}$

# Associative operator in Tom

- A, AU operators are difficult to use without invisible operator or ordo-sorted signature
- $\text{conc}: E \times \dots \times E \rightarrow L$  (written  $E^* \rightarrow L$ )
- $\text{conc}(a,b,c)$  is a valid term
- we use  $X^*$  to denotes a variable of sort L
- $\text{conc}(X^*,Y^*)$  corresponds to  $f(x,y)$
- $\text{conc}(x,Y^*,z)$  corresponds to  $f(g(x),y,g(z))$
- $X^*$  can be instantiated by the empty list

# AU-matching vs. Tom

AU-operator: $L \times L \rightarrow L$	List-operator: $E^* \rightarrow L$
$f(x, f(y, z)) = f(f(x, y), z)$ $f(x, e) = f(e, x) = x$	$\text{conc}(x, \text{conc}(y, z)) = \text{conc}(x, y, z)$ $\text{conc}(x, \text{conc}()) = \text{conc}(x)$
$f(g(x), g(b), y)$	$\text{conc}(x, b, Y^*)$

# Associative matching

- `genListMatching(termList, path, action) =`  
match termList with:
  - `nil` → `IfThenElse(IsEmptyList(subject), action, Nop)`
- `conc() << t -> action` is compiled into:  

```
if IsEmpty(t) then  
  action  
endif
```

- `cons(var@Variable[...],tail) → IfThenElse(Not(IsEmpty(subject)), Let(var, GetHead(subject), Let(subject, GetTail(subject), subAction))`
  - where `subAction = genListMatching(tail, path', action)`

- `conc(x,...) << t → action` is compiled into:

```
if Not(IsEmpty(t)) then
  x = GetHead(t)
  t = GetTail(t)
  action
endif
```



# A more complex case

- $\text{cons}(\text{var}@VariableStar[\dots], \text{tail}) \rightarrow$
- We distinguish 3 cases:
  1.  $\text{tail} = \text{Nil}$ :  $\text{Let}(\text{var}, \text{subject}, \text{subAction})$
  2.  $\text{tail}$  only contains  $VariableStar$
  3. other
- Subcase 1:  $\text{tail} = \text{Nil}$ 
  - $\text{conc}(X^*) \ll t \rightarrow \text{action}$  is compiled into:  $X = t$

# Subcase 2: tail only contains VariableStar

- `cons(var@VariableStar[...],tail) →`
- `conc(X*,Y*) << t → action` is compiled into:

```
list1 = t
begin1 = list1
end1 = list1
do
  X = GetSlice(begin1,end1)
  Y = list1
  action
  if Not(IsEmpty(end1)) then
    end1 = GetTail(end1)
  endif
  list1 = end1
while Not(IsEmpty(end1))
```

We build the AST  
that corresponds to  
this generated code

During the workshop, we have  
discovered a fail in this  
subcase: this shows that  
certification is needed

## Subcase 3: general case

- `cons(var@VariableStar[...],tail) →`
- `conc(X*,f(v),Y*) << t → action` is compiled into:

```
list1 = t
begin1=list1;
end1=list1;
while Not(IsEmpty(end1)) do
  list1 = end1
  X = GetSlice(begin1,end1);
  elt = GetHead(list1);
  list1 = GetTail(list1);
  sub-pattern-matching(elt,action)
  end1 = GetTail(end1);
endwhile
```

# Example of generated code

```
%match(List subject) {  
  List(X1*,f(v),X2*) -> {  
    System.out.println(`v`);  
  }  
}
```

```
if(tom_is_fun_sym_List(subject)) {  
  List list1 = subject;  
  while(!(tom_is_empty_List(list1))) {  
    Element elt = tom_get_head_List(list1);  
    if(tom_is_fun_sym_f(elt)) {  
      System.out.println(tom_get_slot_f_v(elt));  
    }  
    list1 = tom_get_tail_List(list1);  
  }  
}
```

# Element of conclusion

- By being data-structure and language independent
  - Tom is a bridge between the rewriting community and the OO community
  - It can be used to implement normalization procedures

# Recent and future developments

- Tom offers XML transformation facilities by translating XML patterns into AU-patterns
- Based on Elan/Stratego/JJTraveler, we have defined a library for traversal strategies
- Current projects:
  - Certify the generated code
  - Extend pattern matching to AC matching

Thanks